Temporal Hierarchical Dictionary with HMM for Fast Gesture Recognition

Haoyu Chen, Xin Liu and Guoying Zhao*
Center for Machine Vision and Signal Analysis, University of Oulu, Finland
Email: chen.haoyu@oulu.fi, xin.liu@oulu.fi, guoying.zhao@oulu.fi

Abstract—In this paper, we propose a novel temporal hierarchical dictionary with hidden Markov model (HMM) for gesture recognition task. Dictionaries with spatio-temporal elements have been commonly used for gesture recognition. However, the existing spatio-temporal dictionary based methods need the whole pre-segmented gestures for inference, thus are hard to deal with non-stationary sequences. The proposed method combines HMM with Deep Belief Networks (DBN) to tackle both gesture segmentation and recognition by the inference at the frame level. Besides, we investigate the redundancy in dictionaries and introduce the relative entropy to measure the information richness of a dictionary. Furthermore, when inferring an element, a temporal hierarchy-flat dictionary will be searched entirely every time in which the temporal structure of gestures isn’t utilized sufficiently. The proposed temporal hierarchical dictionary is organized in HMM states and can limit the search range to distinct states. Our framework includes three key novel properties: (1) a temporal hierarchical structure with HMM, which makes both the HMM transition and Viterbi decoding more efficient; (2) a relative entropy model to compress the dictionary with less redundancy; (3) an unsupervised hierarchical clustering algorithm to build a hierarchical dictionary automatically. Our method is evaluated on two gesture datasets and consistently achieves state-of-the-art performance. The results indicate that the dictionary redundancy has a significant impact on the performance which can be tackled by a temporal hierarchy and an entropy model.

Index Terms—Hidden Markov Model; hierarchical structure; Deep Neural Network; Relative Entropy.

I. INTRODUCTION

Human gestures are ubiquitous in visual cognition, pervading body language in all ages and cultures and tightly integrated with verbal communication [1]. Gesture recognition is actively used in applications spanning sign-language recognition, virtual manipulation to daily assistance [2]. Over the past several years, with the 3D skeletal joint coordinates of human-beings obtained from Kinects, renewed interests have been arisen in studying methods to recognize human body gestures [3]. However, there are still many challenges that deserve careful attention. First, the dimensionality of the input skeleton joint features is huge and the process is computation consuming. Secondly, the accurate segmentation of gestures from skeleton joint sequences is tough and often ignored with the assumption that pre-segmented sequences are available. At last, the variability of poses and movements in gestures is staggering, which needs a proper model for robust representation.

Many dictionary [4] or dictionary-like [5] based methods are utilized to represent the gestures all along, as it can offer clearer and stronger cues compared to the representation of entire gesture sequences. Those proposed dictionaries can be mainly divided into two categories: spatial dictionaries and spatio-temporal dictionaries. A spatial dictionary usually extracts its elements only with spatial features of gestures, while the element extraction of a spatio-temporal dictionary will consider both temporal and spatial information. For dynamic time sequence recognition, spatio-temporal dictionaries are proved to have better performance for temporal-counting attributes. A well-known spatial dictionary method is from [6]. Bourdev and Malik introduced Poselets (a configuration of body parts in 3D space) to gesture recognition. They set a large dictionary of frequently occurring poses and realize the recognition by comparing the poselet histogram. Ivan and Juan [7] extended this approach by a spatial hierarchical dictionary. They map k body parts to higher-level poselets with k-means, and several poselets will represent for the highest activity level. But these kinds of dictionaries don’t contain temporal structures of gestures. For spatio-temporal dictionaries, the temporal information is well considered and the methods have good performances with classifiers such as support vector machine (SVM) and k-NN [8] [9] [10]. However, among most of these spatio-temporal dictionaries, there is little work on investigating the redundancy of dictionary. Besides, organization of the elements in those dictionaries are flat, which means the temporal structures of gestures are not embodied sufficiently and the search range is the entire dictionary. The method in [9] develops a temporal hierarchical dictionary by specifying the dictionary elements at each temporal segment. However, this method is limited with stationary settings: the whole pre-segmented gesture must be provided to obtain temporal elements and the total number of temporal segments is fixed. So it’s hard to be adapted for recognizing a non-stationary sequence with several gestures, thus severely limiting its applications.

To handle the above disadvantages, we propose a novel temporal hierarchical dictionary with HMM and DBN. First, from the perspective of information encoding [11], we regard each element in the dictionary as a random independent system. The relative entropy is then utilized to evaluate and compress the elements. Then, we build the temporal hierarchy dictionary based on the HMM states. In this way, instead of traversing the entire dictionary with redundant elements,
The HMM model for processing a gesture. We use Dynamic Time Warping (DTW) to divide a given gesture into HMM states with transition; an unsupervised hierarchical clustering method to dictionary; a temporal hierarchical structure for the HMM entropy model to describe and compress redundancy in the dictionary; a configuration of body parts arranged in 3D space in an interval of time. Due to the SoftMax output of neural networks, to align elements with HMM and gives a final prediction. The major work of this paper is a temporal hierarchical dictionary with HMM including three contributions: a relative entropy model to describe and compress redundancy in the dictionary; a temporal hierarchical structure for the HMM transition; an unsupervised hierarchical clustering method to extract elements in the dictionary.

II. METHODOLOGY

Our proposed methodology is composed of four stages: HMM modeling for gesture motion, calculating relative entropies, building the temporal hierarchical dictionary with poselets and the DBN-HMM inference.

A. HMM modeling for gesture motion

We first define a related term poselet according to [10] as: A configuration of body parts arranged in 3D space in an interval of time.

Since the 3D skeleton joint data captured by Kinect is superb, we can directly parameterize the configuration space of an articulated body by the 3D joint coordinates obtained from Kinect. Here an interval of time is set as one frame. Thus a poselet is the skeleton joint configuration of one frame.

Inspired by the HMM modeling techniques in [12], we model the gestures with HMM by first separating a gesture sequence into $T$ segments. Then each segment will be assigned to a corresponding HMM state as shown in Figure 1. Since one segment may contain several frames and each frame carries one poselet, we regard all the poselets in this segment as the same in practice.

For the visible layer in HMM, we denote input features from a poselet as the observed variables $x_t$ to an observed state $X_t$. One observed state $X_t$ for $t = 1, \cdots, T$ will be connected to a corresponding hidden state variable as $H_t$ in the hidden layer of HMM. The hidden variables are the types of the poselets and denoted as $h_t$. Based on the fundamental HMM, the full probability of HMM for training step is specified as:

$$p(x_1, x_2, \ldots, x_T, h_1, h_2, \ldots, h_T) = p(h_1)p(x_1|h_1)\prod_{t=2}^T p(x_t|h_t)p(h_t|h_{t-1})$$

(1)

where $p(h_1)$ is the prior probability, $p(x_t|h_t)$ is the observation probability, namely, the emission probability and $p(h_t|h_{t-1})$ is the transition matrix. By pre-training DBN, the observation probability $p(x_t|h_t)$ can be obtained as:

$$p(x_t|h_t) = p(h_1|x_t)p(x_t)/p(h_t)$$

(2)

where $p(h_t|x_t)$ is the HMM state posterior probability estimated by the DBN model and $p(h_t)$ is the prior probability of each HMM state. For $(x_t)$, as it does not vary with the gesture sequence and thus is always ignored.

B. Calculation of Relative Entropy

We introduce entropy to represent the information richness of poselets using a statistical probability model. As it is often used in data compression and encoding information, entropy can also reveal the ultimate compression of the poselets. Here we regard each poselet as a chaotic system [11], and the information it carries can be measured by its entropy. Obviously, one poselet by itself is isolated and unmeasurable from the perspective of statistical probability. Thus, to measure the entropy of a specific poselet, we introduce relative entropy to compare one poselet with all the rest poselets as [11]:

$$D(p||q) = \sum_x p(x)\log\frac{p(x)}{q(x)}$$

(3)

where $D(p||q)$ is called relative entropy measured by bits, a measure of the distance between two probability mass functions $p$ and $q$.

To apply relative entropy for gesture case, we use the statistical probability of the difference degree between poselets to represent the uncertainty of information or the value of entropy. Fixing one poselet as baseline chaotic system, all the rest poselets will be compared to it. Thus, at each temporal segment, if there are 20 gesture categories to be classified, then 20 different kinds of poselets from the 20 gestures will be compared. We assign each joint of the baseline poselet as a discrete random variable $q_j$ and each joint of the comparison poselet as a variable $p_j$. Here $j$ is the joint index and the total joint number is $J$. Then, we alter the original relative entropy for two chaotic poselet systems at temporal segment $t$ as below:

$$D(P_t||Q_t) = \log\sum_{i=1}^N\sum_{j=1}^J \frac{1}{1+e^{p_i-q_j+z}}$$

(4)

where $P_t$ and $Q_t$ are the whole chaotic systems at temporal state $t$ for $t = 1, \cdots, T$, $i$ stands for the training sample index for $i = 1, \cdots, N$. We conduct probability statistics of
two poselets based on a large number of training samples to obtain relative entropies. The threshold \( \delta \) is used to adjust the bias of the sigmoid function when comparing two joints. For each state \( t \), an entropy map is generated by comparing each poselet to the rest as shown in Figure 2. We can see that, at the beginning states, the overall entropies are much less than that of the following states and can be largely compressed. Taking the entropy information calculated above into account, we conclude the below criteria for constructing a temporal hierarchical dictionary in the next section:

1. Gesture configuration registered at hidden layers are mostly unique, meaning each gesture category are non-repetitive movements.
2. The uncertainty degree of one gesture at a temporal segment measured by entropy, reveals how much information it contains at that stage.
3. The information captured from the gesture will accumulate with time going, and the confidence of recognizing a gesture is based on the overall information captured.

C. Building a temporal hierarchical dictionary with poselets

In the light of the criteria above, we propose a new temporal hierarchical dictionary (THD), with which the candidate poselets can be compressed and organized by HMM time states. Following the ideas of original HMM structure, we separate a gesture motion into \( T \) temporal segments. Whereas in a temporal-flat dictionary, if there are 20 gesture categories, it will contain all 20 or even more kinds of poselets at every time states. But in our temporal hierarchical dictionary, the relative entropy is used to cluster those poselets into fewer representative poselets. In this way, not only the total number of poselets in the dictionary is reduced, but also the search ranges in each HMM state are narrowed.

For example, in THD, only two poselets might be used at the beginning state due to its low relative entropy. When it comes to the next stage, with the cues accumulating and entropy increasing, more poselets are assigned at that stage. The diagram of one temporal hierarchical dictionary structure is shown in Figure 3.

The structure has several advantages over the previous work:
(1) it can largely reduce the number of HMM states in the transition phase; (2) instead of traversing all the poselets in the dictionary, it narrows down the search range at the current state; (3) it utilizes the relative entropy to capture the information change of a temporal sequence, which produces poselets with less redundancy.

However, another difficulty of setting a dictionary with temporal assembled poselets is labeling. When a gesture is divided into several temporal poselets, it is tricky to label the poselets in the training stage. For instance, in the time dimension, a gesture ‘waving’ can be assembled by poselets ‘raise hand’, ‘waving’ and ‘put down hand’, and another gesture ‘hitting’ can be assembled by poselets ‘raise hand’, ‘hitting’ and ‘put down hand’. Thus in the beginning temporal segment, only one poselet ‘raise hand’ is needed. But how to disassemble a gesture into poselets and label those poselets with less redundancy are still problems.

With relative entropy, the problems mentioned above can be addressed with a hierarchical clustering algorithm proposed by us. It can build the temporal hierarchical dictionary and extract poselets automatically with gradually clustering. First, we choose one gesture from each category as Dynamic Time Warping (DTW) templates and interpolate them into fixed frame number (60 frames empirically). Then these templates are automatically divided into \( T \) even temporal segments. Then, based on these DTW templates, all the training gestures are divided into \( T \) segments with dynamic alignments. For each temporal segment, the poselets selected from all the gestures are regarded as candidate poselets. Then, a hierarchical clustering algorithm is used to cluster those candidate poselets based on relative entropies. The clustering details can be seen in Algorithm 1.

Here are several practical principles to implement the automatic clustering. First, the clustering is designed unidirectional and irreversible. Second, the maximum relative entropy always reaches at mid states instead of ending states, as shown in Figure 2. Thus the gesture clustering is always done at mid states and after that, the rest poselets are all kept and uncompressed.
Algorithm 1 Hierarchical clustering for THD

\begin{algorithm}
\begin{algorithmic}
\State Input: $\sigma$: the threshold for relative entropies
\State $T$: the total number of temporal states
\State $N$: the total number of gesture categories
\State poseAll: A dictionary of poselets with $T$ temporal states, containing $N$ poselets at each state
\State Output: THD: The temporal hierarchical dictionary
\For{$t$ in $T$}
\State calculate \textit{entropymap} using Eq. 3
\If{$t < 2$}
\State cluster $\leftarrow$ poseAll(1)
\Else
\State cluster $\leftarrow$ clusters($t - 1$)
\EndIf
\For{$c$ in cluster}
\While{not(allposeletsgetclustered)}
\State baseline $= \text{poselet}$ with min relative entropy
\For{poselet in $c$}
\If{entropymap\textit{poselet, baseline} $< \sigma$}
\State cluster poselet to baseline as clusters($t$)
\EndIf
\EndFor
\EndWhile
\EndFor
\EndFor
\end{algorithmic}
\end{algorithm}

D. DBN-HMM inference

In our case, a neural network is used to give a basic estimation of poselets at the frame level. This classification will be enhanced by HMM in inference phase.

\textbf{DBN classification.} Here we implement the Deep Belief Network with the Gaussian Restricted Boltzmann Machine (GRBM) to train the labeled poselets in THD. The architecture is shown in Figure 4. We introduce the GRBM for initializing weights for layers and generating a large number of features. The label in relation to the input is the poselet index. The final emission probability is given by:

$$p(x_t | h) = \mathcal{N}(x \sum_j \sigma^2_i w_{i,j} + b_i, \sigma^2_t) \quad (5)$$

where $\mathcal{N}(\mu, \sigma^2_t)$ is a Gaussian probability function with mean $\mu$ and variance $\sigma^2_t$. Here $w_{i,j}$ and $b_i$ are the joint weights and biases of Restricted Boltzmann Machine. In the practical training, the variance $\sigma^2_t$ is set to be 1 in (5).

After the DBN-GRBM structure is trained with training samples, we can obtain a SoftMax probability of the poselets frame by frame according to $p(h_t [x_1, x_2, \ldots, x_t])$, where $t$ stands for the current time state. To extract segment gestures from a skeleton stream, we attempt two methods. First one is to label those non-gesture frames as an extra poselet. Transitions are set between this extra poselet and other poselets [13]. The second method is to use a two-layer fully connected network to label each frame as ‘motion’ or ‘no motion’ [14]. The gesture extraction is to collect all ‘motion’ segments and the recognition is conducted on those segments. Both these two methods can achieve accuracies above 95% for segmentation.

\textit{Inference with HMM.} Viterbi algorithm is a max-sum algorithm that will search the most probable path of HMM states among all the possible paths efficiently [15]. Initially, the decoded sequence $\hat{g}$ is determined as:

$$\hat{g} = \arg \max_p p(x_1, x_2, \ldots, x_T | g)p(g)/p(x_1, x_2, \ldots, x_T) \quad (6)$$

where $p(g)$ is the prior probability of each gesture, and we are going to derive $p(x_1, x_2, \ldots, x_T | g)$ to obtain the max value for this emission probability, then we get:

$$p(x_1, x_2, \ldots, x_T | g) = \sum_h p(x_1, x_2, \ldots, x_T, h | g)p(h | g) \quad (7)$$

With (7), we can break down the problem of solving best probability of main gesture class into solving HMM states probability with poselets $x_1, x_2, \ldots, x_T$. After determining the poselets alignment, the test sequence can be inferred.

III. EXPERIMENTS

In this section, details of experiments are illustrated.

\textit{Features.} For the skeleton joint feature processing, we follow the work of [16] to extract skeleton joint properties as Eigenjoints. Eigenjoints are features that utilizing 3D position difference characters of joints to generate more spatio-temporal information. Before feature extraction, the coordinates are normalized by transforming them to a person-centric coordinate system. For time-consuming issue and gesture-oriented goal, we extract Eigenjoint features from 11 skeleton joints of upper body. The poselets are labeled according to the encoding paths in THD.

\textit{DBN-GRBM.} We set our five-layer DBN-GRBM model architecture as $[N_X, N_h, N_{h1}, N_{h2}, N_{output}]$. Here $N_X$ is
the dimension of input feature observation layer, \( N_h \) is the number of hidden units in GRBM structure, the DBN inner hidden layers between \( N_h \) and \( N_{output} \) are \( N_{h1}, N_{h2}, N_{output} \) is the total poselet number. This feed-forward network are pre-trained with a batch size of 100. The fine-tuning stage is set with a 0.1 learning rate and 500 epochs.

### A. Datasets

We validate the proposed approach on two heterogeneous gesture datasets and compare it with two most common evaluation methods.

First is ChaLearn dataset [17] from a challenge of “multiple instances, user independent learning”. There are 20 gesture categories in the dataset. It contains 470 labeled sequences for training, 230 sequences for validating and the rest 240 sequences for testing.

The second is MSRC-12 gesture dataset [18]. It includes 594 sequences and 719,359 frames from 30 people performing 12 gestures with 20 joints estimated by Kinect. We conduct our experiments following the same leave-subjects-out protocol as [18]. For each time, we leave the sequences of selected three subjects by order of subject number for testing and use the rest sequences for training. To train the network, we encode a window of 90 frames centered on the action point from the ground truth, with the beginning 20 frames of each sequence encoded as ‘no-motion’ poselets.

### B. Results and discussion

We follow the standard validation protocols for each dataset to evaluate the proposed method.

For ChaLearn dataset, we strictly follow the evaluation protocol in [14] and report Jaccard index (Jacc.) as the measure. The Jaccard index measures similarity between samples, and is defined as the size of the intersection divided by the size of the union of the sample sets. First, we realize two THD-HMM structures with different HMM state numbers. Besides, as a sanity check of THD-HMM, we implemented flat-dictionaries with HMM. We compare our THD-HMM structures with the flat dictionary-HMM on ChaLearn dataset and the experimental results are shown in Table I.

In the previous temporal flat dictionaries, the search ranges are the entire dictionaries with possible redundant elements. When taking the time consumption into account, this structural redundancy becomes a serious limitation. Instead, switching to our THD-HMM structure is helpful for the HMM-distributed temporal structure. For each temporal state of HMM, we filter redundant poselets with relative entropy. The results in Table I show the THD-HMM generally yields better performance and leads to a substantial decrease in the number of poselets. This is apparent in the last row of Table I: better performance (0.820) is obtained with two times fewer poselets (81 vs. 200). A large redundancy will cause a significant loss of accuracy which can be seen in the 15-state flat dictionary (0.716). In the case of five HMM states, the performance of THD-HMM is not better than that of the flat dictionary. The accuracy decrease of THD-HMM with five states might be caused by the information loss in data compression. At its root, THD-HMM is a kind of sparse coding which encodes the gesture with poselets along the time states. In this way, a good THD-HMM structure should make a balance between data loss and statistical redundancy.

Besides, we compare the Viterbi decoding speeds of these two kind of dictionary structures and the THD-HMM is proved to be more computationally efficient as shown in Table II. Note that the decoding time is measured with a whole test sequence in Challearn dataset. One test sequence contains several gestures and has 1200-2400 frames. It can be seen that the THD-HMM method can considerably reduce the Viterbi decoding time compared to the flat one. Performances of other state-of-the-art techniques on ChaLearn are given in Table III. Our THD-HMM shows the best result using single skeletal modality.

In the MSRC-12 gesture dataset, F-score is always used for testing. It is the harmonic mean of recall and precision in a tolerated latency. On this dataset, the latency is set as 333ms, the same as [18] and the same testing protocol and set as [22] are used. The results of means and standard deviations is given by leave-subjects-out with ten runs and compared with the state-of-the-art methods in Table IV. The proposed method
attributes to less redundant poselets with the best result.

C. Computational complexity

The training time of the DBN structures is around 12 hours for over 500,000 samples (poselets) in Chalearn dataset and 10 hours 400,000 samples (poselets) in MSRC dataset. The training platform is Theano with a single GPU: NVidia Tesla K80 (RAM: 12 GB). Theoretically, the single feed-forward neural network incurs linear computational time $O(T \times S)$ for both our approach and a flat dictionary method, where $T$ is the number of frames and $S$ is the number of poselets. But the computational complexity of the Viterbi algorithm is $O(T \times |S|^2)$ in our approach, which is apparently less than that of a flat dictionary method $O(T \times |S|^2)$.

IV. CONCLUSION

In this paper, for 3D gesture recognition, we introduce the relative entropy to investigate the redundancy in gesture dictionaries and compress them efficiently. We propose a temporal hierarchical dictionary with HMM (THD-HMM), which has strong capability in narrowing down the search range in the poselet set. An unsupervised hierarchical clustering algorithm is further proposed for the THD-HMM structure construction. The experimental results on two gesture datasets show the effectiveness of proposed method with state-of-the-art performances. Future research is to improve supervised poselet path encoding to unsupervised learning and explore more complementary representations from heterogeneous inputs such as RGB and audio data.

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